# Restrictions for OCL constraint optimization algorithms

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**Abstract.** Efficient constraint handling is essential in UML, in metamodeling, and also in model transformation. OCL is a popular, textual formal language that is used in most of the modeling frameworks to express constraints. Our research focuses on the optimization of OCL handling. Previous works have presented algorithms that can accelerate the constraint validation by rewriting and decomposing the constraints and caching the model queries. Although these algorithms can be used in general, there are special cases, where additional restrictions apply. The aim of this paper is to present these refined restrictions and the extended optimization algorithms.

### 1 Introduction

Metamodeling techniques can describe the rules of Domain Specific Modeling Languages (DSMLs), but these descriptions mainly consist of topological rules only. The available model items, their attributes and the possible relations between the items can be defined, but these definitions have a tendency to be incomplete, or imprecise. For example, there is a resource editor domain for mobile phones. Here, it is useful to define the valid range for slider controls that cannot be accomplished using metamodeling techniques. Another example is a metamodel that defines a DSML with computer networks. A single computer can have input and output connections, but these connections use the same cable with maximum n channels. Thus, the number of maximum available output connections equals the total number of channels minus the current number of input channels. Such constraints cannot be expressed by metamodel rules.

The real need for constraints applies also to graph rewriting-based model transformation [1]. Here the Left Hand-Side (LHS) of the rewriting rules define the pattern to find in the host graph. Beyond the topology of the visual models, additional constraints must be specified. Model transformations constraining the pattern matching are very popular, they are used for example in QVT [2]. Additionally, dealing with constraints means a solution to several unsolved model transformation issue [1].

One of the most wide-spread approaches to constraint handling is the Object Constraint Language (OCL) [3]. OCL is a flexible formal language. It was originally created to extend the capabilities of UML [4], but due to its flexibility, it can also be used in metamodeling environments with minor extensions [5]. Nowadays OCL is becoming essential both in metamodel-based model validation and model transformations.

Visual Modeling and Transformation Systems (VMTS) [6] is an n-layer metamodeling and model transformation tool. VMTS uses OCL constraints in model validation and also in the graph rewriting-based model transformation [1]. VMTS contains an OCL 2.0 compliant constraint compiler that generates a binary executable for constraint validation [7]. The constraints contained both by the rewriting rules and by metamodel diagrams are attached to the metamodel, thus they can be handled with the same algorithms.

Previous papers [8] and [9] have presented three optimization algorithms. These algorithms can reduce the navigation steps in the constraints (i) by relocating the constraints, (ii) separating clauses based on Boolean operands and (iii) caching the result of the model queries applied during validation. The main advantage of the algorithms is that they do not rely on system-specific features, thus, they can easily be implemented in any modeling or model transformation framework. The general correctness of the algorithms has also been proved.

While implementing and by further examining these algorithms, we have refined their application conditions. We have found that the scope of usability of the first algorithm is limited. Furthermore, the second algorithm can accelerate the validation in certain cases only, according to the type of the Boolean operand. The cases where the decomposition to clauses are meaningless, thus, the advantage of the optimization that equals zero have to be excluded from the algorithm. The primary aim of the paper is to present these restrictions and the extended algorithms.

The paper is organized as follows: firstly, Section 2 elaborates the original version of the two optimization algorithms. Secondly, Section 3 introduces the limitations of the algorithms, while Section 4 presents the new, extended algorithms. Finally, Section 5 summarizes the presented work.

## 2 Backgrounds and Related Work

In general, the evaluation of OCL constraints consists of two steps: (i) selecting the object and its properties that we need to check against the constraint and (ii) executing the validation method. Although the second step can use several OCLrelated optimization methods, our optimization algorithms focus on the first step, bacause: (i) The efficiency of the validation depends on the realization of the OCL library (types and expressions), thus, optimizing the validation process is usually more implementation-specific; (ii) in general, the first step has more serious computational complexity, since each navigation step means a query in the underlying model. The original version of the algorithms were published in [8] and in [9].

#### 2.1 Relocation

One of the most efficient way to accelerate the constraint evaluation is to reduce the navigation steps in a constraint. This is the aim of the first algorithm, called *Relocate Constraint* (Alg. 1). The algorithm processes the propagated OCL constraints, and tries to find the optimal context for the constraint. The main *foreach* loop examines the navigation paths of the actual constraint and relocates the constraint to the node at the smallest navigation cost. Here, relocation means changing the context of the constraint without changing the result of the evaluation.

Alg	Algorithm 1 RELOCATE CONSTRAINT algorithm				
1: I	1: RELOCATECONSTRAINT(Model M)				
2: <b>f</b>	for all InvariantConstraint $C$ in $M$ do				
3:	minNumberOfSteps = CALCULATESTEPS(CurrentNode in C)				
4:	optimalNode = CurrentNode of the $C$				
5:	for all Node $N$ in $C$ do				
6:	numberOfSteps = CALCULATESTEPS(N)				
7:	if number Of Steps < minNumber Of Steps then				
8:	minNumberOfSteps = numberOfSteps				
9:	optimalNode = N				
10:	if $optimalNode \neq CurrentNode$ of C then				
11:	UPDATENAVIGATIONS of $C$				
12:	RELOCATE $C$ to $optimalNode$				

### 2.2 Decomposition

Constraints are often built from sub-terms and linked with operators (self.age = 18 and self.name = 'Jay'), or require property values from different nodes (self.age = self.teacher.age). Thus, using the RelocateConstraint algorithm, it is not always possible to eliminate all navigation steps. Although these sub-terms are not decomposable in general, they can be partitioned to clauses if they are linked with Boolean operators. A clause can contain two expressions (OCL expression, or other clauses) and one operation (AND/OR/XOR/IMPLIES) between them. By separating the clauses, we can reduce the number of the navigation steps contained by the OCL expressions and the complexity of the constraint evaluation during the constraint validation process. It is simpler to evaluate the logical operations between the members of a clause than to traverse the navigation paths contained by the constraints.

The ANALYZECLAUSES algorithm (Algorithm 2) works on the syntax tree of the constraint. The algorithm is invoked for the outermost OCL expression of each invariant, recursively searches the constraint for possible clause expressions and creates the clauses. The algorithm uses the following rules: (i) A clause is created for every logical expression, the two sides of the expression are added to the clause as children. The children are recursively checked to decompose nested Boolean relations. (ii) Parentheses are eliminated, the inner expressions are checked. (iii) In other cases, if there is only one expression in the whole constraint, then a special clause is created, otherwise the *RelocateConstraint* algorithm is used on the expression.

Algorithm	<b>2</b>	ANALYZECLAUSES	algorithm
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<b>0</b>
1: ANALYZECLAUSES(Model Exp)
2: if <i>Exp</i> is LogicalExpression then
3: $Clause = CREATECLAUSE(Exp.RelationType)$
4: Clause.AddExpression(AnalyzeClauses(Exp.Operand1))
5: Clause.AddExpression(AnalyzeClauses(Exp.Operand2))
6: return Clause
7: else
8: if <i>Exp</i> is ExpressionInParentheses then
9: <b>return</b> ANALYZECLAUSES( <i>Exp.InnerExpression</i> )
10: else
11: <b>if</b> <i>Exp</i> is OnlyExpressionInConstraint <b>then</b>
12: $Clause = CREATECLAUSE(SpecialClause)$
13: $Clause.AddExpression(RelocateConstraint(Exp))$
14: return Clause
15: else
16: return RELOCATECONSTRAINT $(Exp)$

### 3 Contributions

In general, there are two key questions in connection with optimization algorithms: (i) whether they result in the same output as the original algorithm for every possible input and (ii) whether they are more efficient. The first question is crucial, because having proper evaluation results is essential. These guidelines, these two questions are taken into examination when constructing the limitations for the optimization algorithms.

#### 3.1 Correctness

Primarily, the correctness of the relocation algorithm is taken into examination. An algorithm or a relocation is *correct* only if the output of the optimized and original constraint is the same for every possible input. The aim of the limitations is to eliminate the cases where the result of the original and the optimized algorithms would differ. To achieve this, it is necessary to examine when and how *correct* relocations can be applied. In the following propositions, we often say — for the sake of simplicity — that a *RelocationPath* is *correct*, although we mean that the relocation using the *RelocationPath* is correct.

**Proposition 1.** If the steps of RelocationPath are separately correct, then their composition, the RelocationPath is also correct.

*Example 1.* The original constraint is located in node A, the optimal node is D (Fig. 1). Thus, the *RelocationPath* is drawn from A to D (dashed line). If neither the relocation from node A to C (solid line), nor the relocation from node C to D (dotted line) change the result of the constraint, namely they are *correct*, then the proposition states that the relocation from A to D is also *correct*.

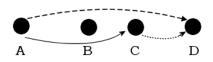


Fig. 1. The steps and the whole RelocationPath

**Proof.** Let C be the original constraint and P a complex RelocationPath found by the search steps. P contains finite number of steps, since the host model contains finite number of model items and no circular navigation paths are allowed. Furthermore, let O be the original context; S the first step of P and O' the destination node of S in P. According to the premise of the proposition the correctness of S is proven, thus, relocating the constraint from O to O' can be accomplished. After applying this relocation, a new constraint, C' can be constructed. Applying the relocation algorithm on C' results a new RelocationPath, P' containing one less step, than the original one. Since P has a finite number of steps, the algorithm always terminates.

**Corollary 1.** The steps in a path can be examined separately. If in a certain case the correctness of the algorithm is proven to be correct for each single navigation step in the RelocationPath, then it is also proven for the whole RelocationPath. Thus, in general, if the correctness of each possible single navigation step is proven, then the correctness of the whole relocation is proven. Therefore, it is enough to examine the correctness of single relocation steps.

In the next propositions, the following abbreviations are used: C denotes the original constraint, C' the new constraint,  $M_0$  is metamodel, M is model, O is the original context, N is the new context. O and N are metamodel elements, and their instantiations are  $O_1, O_2...O_n$ , and  $N_1, N_2...N_n$ .

*Example 2.* Fig. 2 shows an example metamodel, its instantiation, and the constraint relocation. The metamodel represents a domain that can model computers and display devices (here monitors only). A single computer can use multiple monitors. The model defines a simple constraint attached to the node *Computer*, this constraint is relocated by the optimization to the node *Monitor*.

Using the abbreviations, we can say the following:  $M_0$  is the metamodel shown in Fig. 2/a, M is its instantiation (Fig. 2/b). O is Computer, N is Monitor in  $M_0$ . O has two instantiations, Computer1 ( $O_1$ ) and Computer2 ( $O_2$ ).

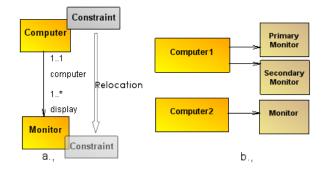


Fig. 2. Example metamodel and model

Similarly, Primary Monitor is  $N_1$ , Secondary Monitor is  $N_2$ , and finally, Monitor is  $N_3$ .

**Proposition 2.** Navigation edges that allow zero multiplicity (on either or both sides) cannot be used in RelocationPath.

*Proof.* Let M be a model with  $O_1$ ,  $N_1$  and  $N_2$  defined (Fig. 3). Let  $N_1$  be isolated (or at least not connected with  $O_1$ ).

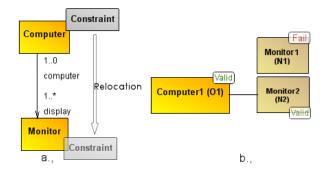


Fig. 3. Null multiplicity - metamodel and model

Let C and thus C' contain an expression that is not valid in  $N_1$ , but valid in  $N_2$ . The evaluation of C results true, since  $N_1$  is not checked, because it is not connected with  $O_1$ . However C' fails, thus, the relocation is not *correct*.

The multiplicity of relations in metamodels is defined by a lower, and an upper limit. The limits can contain an integer representing the number of participants exactly, or \* allowing any number of objects. In the following propositions, we categorize the multiplicities:

- ZeroOrMore the lower limit of the multiplicity is 0 (the upper limit is not important)
- ExactlyOne the lower and the upper limit is also 1
- MoreThanOne the lower limit is not 0, while the upper limit is more, than 1

**Proposition 3.** A relation with multiplicity ExactlyOne on both sides can be used for relocation. In this case the relocated expression differs from the original version in the navigation steps (or navigation step sequences). The new constraint expression is transformed from the original definition using the following rules:

**Rule 1.** If the expression is a navigation to the new context (N), then the expression is transformed into self.

**Rule 2.** If the expression is an attribute query in the old context (O), then the new expression is a navigation from N to O and an attribute query applied there (e.g. self.Manufacturer is transformed to self.computer.Manufacturer).

**Rule 3.** If the expression is a navigation from the old context (O), then the new expression is a navigation from N to O.

Rule 4. Other expressions in the constraint are not altered.

*Example 3.* Let the example metamodel cited above define that computers are able to handle exactly one monitor, and monitors are always connected to exactly one computer (Fig. 4). Furthermore, let the constraint C state that the monitor is an LCD monitor (*display.Type* = 'LCD'). In this case relocating the constraint will result C': Type = 'LCD'.

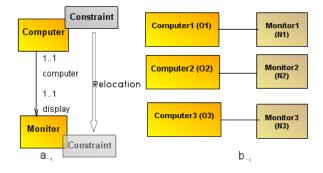


Fig. 4. ExactlyOne multiplicity on both sides - metamodel and model

*Proof.* An ExactlyOne multiplicity on both sides means that O and N objects can refer to each other the same way (using the role name of the destination node). The result of the navigation reference is always a single model item, not

a set of model items and not an undefined value. This means that changing the navigation steps can be accomplished.

The transformation rules are also correct if the rules above are satisfied:

**Rule 1.** The relocation has changed the context, thus, the navigation step in the original context is not necessary any more.

**Rule 2.** and **Rule 3.** Since the original attribute reference, or the destination node of the navigation is invalid in the new context, thus, the constraint has to navigate back to the original context first, and applying the expression there.

**Rule 4.** Rule 1-3. covers all possible valid attribute and navigation expressions, thus, no additional rules are required.

**Proposition 4.** If the multiplicity is ExactlyOne on the destination side, but MoreThanOne on the source side (not allowing zero multiplicity), then the constraint expression can be always relocated. In this case the constraint is encapsulated by a new constructed forall expression. If the relocated constraint does not contain any attribute reference to the original context node, or navigation through it, then the forall expression can be avoided.

The original expression cannot be used after relocation, because of the multiplicity MoreThanOne, which retrieves a set of model items. The basic idea is to create an iteration on the elements of the set; the iteration is not contained in the original constraint.

*Example 4.* Let O contain a simple constraint referring to one of its attributes, named IsAbstract. After the relocation, the constraint is located in N and the reference self.IsAbstract is transformed to

self.0->forall(0 | 0.IsAbstract).

This **forall** expression is true only if the condition holds for every elements in the set.

*Example 5.* The example model has been changed to meet the requirements of the proposition (Fig. 5).

Let C be defined as  ${\tt self.Price} < {\tt display.Price}.$  If this constraint is relocated, then it is transformed to

self.computer->forall(computer| computer.Price > self.Price)

expressing that *each* computer attached to the monitor has to accomplish the condition. Note that the navigation from O to N in **display.Price** was reduced to a single **self** reference similarly to the ExactlyOne-ExactlyOne case.

*Proof.* The presented method ensures that each model item on the original source side is processed, and the constraint is checked for each model item. Since the ZeroOrMore multiplicity is not allowed, the navigation is always possible. Inside the **forall** loop, the name of the destination node is the iterator value. Thus, this solution simulates ExactlyOne multiplicity on both sides. The relocated and the original version are equivalent.

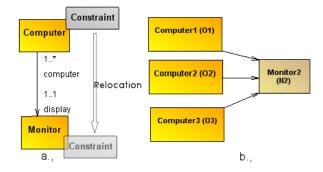


Fig. 5. MoreThanOne  $\rightarrow$  ExactlyOne multiplicity - metamodel and model

**Proposition 5.** If the multiplicity is ExactlyOne on the source side, but More-ThanOne on the destination side (not allowing optional multiplicity), then the constraint expression can be relocated if and only if the original expression uses forall, or not exists expression to obtain the referenced model items of the new context. This means that only those relations can be used where the original navigation selects all of the model items, or none of them (no partial selection, or another operation is allowed).

*Example 6.* The constraint self.N->count() or self.N->select(N.IsUnique) cannot be relocated, but the constraint self.N->forall(N.IsUnique) can.

*Example 7.* The example model shows the requirements of the proposition (Fig. 6). Note that due to the preconditions of the proposition, the references to Monitor are always set operations in Computer. This means that, for example, the expression self.display.Price>300 cannot be used, because display is a set, not a single value.

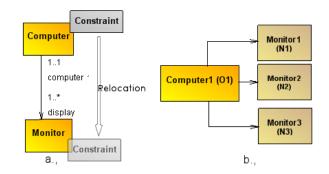


Fig. 6. ExactlyOne  $\rightarrow$  MoreThanOne multiplicity - metamodel and model

Let  $M_0$  contain three constraints:  $C_1$ ,  $C_2$  and  $C_3$  using the following definitions:

inv c1: self.Price > 650
inv c2: self.display->count() > 5
inv c3: self.display->forall(m:Monitor| m.Price<300)</pre>

The proposition requires constraints to use forall expressions to query the attributes of the new context, or the navigation paths through the new context. But this also means that any other expression can be applied (for example a local attribute query, such as in c1). In this case the method of ExactlyOne-ExactlyOne multiplication can be used, thus,  $C'_1$  becomes the following:

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inv c1: self.computer.Price > 650.
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Complex set operations cannot be relocated according to the proposition, thus,  $C_2$  cannot be relocated either. This limitation does not apply to  $C_3$ :

#### inv c3: self.Price<300.</pre>

Although the original and the relocated version of the constraint seems to differ, they have the same meaning: all monitors must be cheaper than 300 USD.

*Proof.* Firstly, the limitation to set operations is proven. In case of the general selection operations, such as **exists**, the selection criterion is *true* for some of the items and *false* for the others. This can lead to two problems with the constraint rewriting: (i) the constraint validation can generate false results where the selection criteria in the original expression is true/false, and (ii) the partial results arising in N cannot be processed (for example summarized) in O. Neither of these problems can be solved, thus, an universal relocation in this case is not possible.

Secondly, it needs to be proven that relocation is possible along forall, or not exists expressions. Note that not exists can be expressed using forall by negating the condition. The main difference between the previous (erroneous) subcase and this one is that here — if the model is valid — the condition in the select operation is *true* (or *false*) for *each* model item. Thus, the relocated constraint fails only, when the original constraint also fails. The relocated constraint forall expressions to single references. The relocated constraint is checked for each node of the new context, thus, the constraints are functionally equivalent.

**Proposition 6.** If the multiplicity is MoreThanOne on both side (not allowing zero multiplicity) (Fig. 7), then the constraint expression can be relocated if and only if the original expression uses forall, or not exists expressions to query the referenced model items of the new context node.

*Proof.* This case is a combination of the previous cases. A new forall expression is constructed such that it contains the whole relocated constraint, then, inside this newly constructed forall, the original forall and not exists expressions

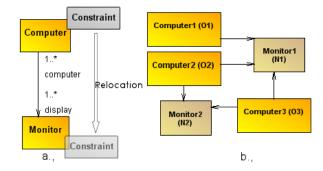


Fig. 7. MoreThanOne multiplicities - metamodel and model

are transformed to single navigation steps. The outer forall ensures that each O object is checked for each N, while the inner expression holds the transformed original constraint.

**Proposition 7.** If the constraint contains more than one attribute reference expressions and these expressions do not depend on each other, then partial relocation is feasible. Partial relocation means that some of the expressions are executed in the new context, while others are executed in the original context. The original context is reached using navigation. Partial relocation does not apply to edges with zero multiplicity.

*Proof.* Since the proposition is true only for relations not allowing zero multiplicity, the navigation between the original and the new context is always possible. Both ExactlyOne and MoreThanOne relations can be traversed according to the constructs presented earlier (either by single navigation steps, or **forall** expressions). Thus, when the constraint is evaluated, navigating back to the original context is always possible. In this way, the relocated and the original functionality is the same.

**Corollary 2.** The task of finding possible destinations of relocation can be reduced to a simple path-finding problem from the original context to the new one, where relations allowing zero multiplicity cannot be the part of the path. Note that this path, if exists, is the RelocationPath mentioned earlier.

One of the main difference between the *RelocateConstraint* and the *Analyze-Clauses* algorithm is that the first one modifies the constraint only by relocating it, but the algorithm does not need special support from the validation framework. In contrast, the second algorithm does not really modify the text of the constraint, but it requires support for clause-handling during validation. Therefore, *AnalyzeClauses* relies more on the framework, but depends less from the constraint text.

**Proposition 8.** The original version (Algorithm 2) of the constraint decomposition algorithm (AnalyzeClauses) is always correct if the supporting functions are correct.

*Proof.* The algorithm *Analyze Clauses* consists of a condition and several method calls in the condition branches. The conditions ensures that the correct execution branch is selected in all cases. Thus, the only part of *Analyze Clauses* that can cause erroneous results is the clause-handling, which is an external function. If this external function is implemented well, the decomposition is always correct.

### 3.2 Efficiency

*RelocateConstraint* can reduce the number of navigation steps in the constraint, but since the optimization uses only the metamodel, not the models, it does not know exactly how many model items are affected by a single navigation step. If the model uses ExactlyOne multiplicities only, then the optimization is *correct*, but the cost of navigation is not predictable if the model contains MoreThanOne multiplicities. In this case the number of model items on the destination side can vary, thus, for example, the algorithm cannot decide between two paths different only in relation with MoreThanOne multiplicities. This problem can be handled using heuristics, but a globally optimal method cannot be constructed.

The situation is completely different in case of *AnalyzeClauses*. Here the performance gained from the optimization depends on how efficient the construction of the clauses is. The basic idea behind the algorithm is that the result of the Boolean operations sometimes requires the evaluation of one of the operands only. For example in an AND expression, such as self.Size>50 and self.display.Size>80 it is enough to check the value of the first operand if it evaluates to *false*. This is why the boolean operators are special, why the *AnalyzeClauses* algorithm is based on them instead of other types of operations.

Since the operands cannot affect each other, they can be evaluated separately according to [9]. In case of AND, OR and IMPLIES operations the value of one operand can affect the results of the whole operation:

- If either operand is *false*, then the AND operation is always *false*.
- If either operand is *true*, then the OR operation is always *true*.
- If the first operand is *false*, then the IMPLIES operation is always *true*.
- If the presented condition for the given operand is not satisfied, then both operands is evaluated.

Similar simplification is not available for XOR operations, because in this case both operands need to be evaluated.

### 4 The new algorithms

The restrictions to the optimization algorithms were presented in the previous section, now the last step is to construct new, extended algorithms according to these limitations. The new *RelocateConstraint* is shown in Algorithm 3. It consists of two major parts: (i) searching for the optimal node (and RelocationPath) (Algorithm 4) and (ii) relocating the constraint if necessary (Algorithm 5).

Algorithm 3 The new RELOCATECONSTRAINT algorithm

 $4: \quad UPDATEANDRELOCATE(Constraint, OptimalPath)$ 

The first part of the *Relocate Constraint* algorithm is based on the *SearchOpti-malNode* function. This function checks the relocation requirements while searching (*StepIsValid*), thus invalid *RelocationPath* candidates are dropped as soon as possible. *SearchOptimalNode* uses a recursive breadth-first-search strategy to find every possible candidates. The external function *CalculateSteps* calculates the number of model queries in the case when the new context is located in N.

Algorithm 4 The SEARCHOPTIMALNODE algorithm			
1: SEARCHOPTIMALNODE(Node N, PathP)			
2: $minSteps = CALCULATESTEPS(N)$			
3: $optimumCandidate = APPEND(P, N)$			
4: for all $CN$ in CONNECTEDNODES $(N)$ do			
5: <b>if</b> STEPISVALID $(CN)$ <b>then</b>			
6: $LocalOptimum = SEARCHOPTIMALNODE(CN, APPEND(P, N))$			
7: $LocalSteps = CALCULATESTEPS(LocalOptimum.LastElement)$			
8: if LocalSteps < minSteps then			
9: $minSteps = LocalSteps$			
10:    optimumCandidate = LocalOptimum			
11: return optimumCandidate			

The result of *SearchOptimalNode* is the *RelocationPath*. The last element of the path is the new context itself. If the new context and the old context are not the same, then the constraint is relocated and updated by the function *UpdateAndRelocate*. The relocation is based on path steps, thus, the algorithm updates the context declaration step-by-step. The multiplicity checking and the constraint updating mechanisms are implemented in external functions to improve the readability of the algorithm.

<sup>1:</sup> RELOCATECONSTRAINT(Constraint, OriginalContext)

<sup>2:</sup> *OptimalPath* = SEARCHOPTIMALNODE(*OriginalContext*, *NULL*)

<sup>3:</sup> if  $OptimalPath.LastElement \neq OriginalContext$  then

Algorithm	<b>5</b>	The	<b>UPDATE</b> A	ANDRELO	CATE	algorithm
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- 1: UPDATEANDRELOCATE(Constraint C, Node O, Path P)
- 2: for all Step in P do
- 3: if SOURCEMULTIPLICITY(Step) = ExactlyOne and DESTMULTIPLICITY(Step) = ExactlyOne then 4:
  - EXACTLYONEREWRITE(C)
- 5:if SOURCEMULTIPLICITY(Step)  $\neq$  MoreThanZero then
- AddForeach C) 6:
- if DESTMULTIPLICITY(Step)  $\neq$  MoreThanZero then 7:
- 8: REMOVEFOREACH(C)
- 9: return optimumCandidate

In the case of AnalyzeClauses there is only one new limitation: XOR operations are excluded when creating the clauses. The algorithm is presented in Algorithm 6.

Algorithm 6 ANALYZECLAUSES algorithm
1: ANALYZECLAUSES(Model Exp)
2: if $(Exp \text{ is ANDEXPRESSION})$ or $(Exp \text{ is OREXPRESSION})$ or
(Exp  is IMPLIESEXPRESSION) then
3: $Clause = CREATECLAUSE(Exp.RelationType)$
4: Clause.AddExpression(AnalyzeClauses(Exp.Operand1))
5: Clause.AddExpression(AnalyzeClauses(Exp.Operand2))
6: return Clause
7: else
8: <b>if</b> <i>Exp</i> is ExpressionInParentheses <b>then</b>
9: <b>return</b> ANALYZECLAUSES( <i>Exp.InnerExpression</i> )
10: else
11: <b>if</b> <i>Exp</i> is OnlyExpressionInConstraint <b>then</b>
12: $Clause = CREATECLAUSE(SpecialClause)$
13: $Clause.AddExpression(RelocateConstraint(Exp))$
14: return Clause
15: else
16: <b>return</b> RELOCATECONSTRAINT $(Exp)$

#### Conclusions $\mathbf{5}$

Due to the importance of constraints in modeling and model transformation, efficient validation methods are required. Previous work has presented three algorithms, which can accelerate the validation. This paper has examined the algorithms, especially the relocation algorithm *Relocate Constraint*. Based on the results, several necessary limitations and modifications have been introduced to the original algorithms. The statements have been illustrated by small examples and their correctness has also been proved. More complex examples — focusing on the acceleration gained from the optimization — can be downloaded from [6]. According to the novel results, the algorithms have been updated.

As this paper has shown, proving the correctness of the algorithms precisely is hard to manage. A mathematical formalism could help, but the current formalism of OCL is based on set theory, which is hard to use in examination of dynamic behavior. Abstract State Machines offer a technique that has successfully been used in many similar domains as formalism. Such a formalism could prove the correctness of the algorithms applying formal semantics. Therefore, we are currently working on the formalism of the algorithms either using and extending the old formalism, or creating a new, ASM-based formalism.

Although the steps of the three optimization algorithms have been made more rigorous, processing the OCL constraints is not optimal. The decomposition and the normalization of atomic expressions have reduced the navigation steps to the minimum, and the caching algorithm has reduced the number of queries, but further research is required to extend the scope of the optimization algorithms and accelerate the process. The validation process can be optimized by rewriting the constraints and avoiding time consuming expressions, such as *AllInstances*.

### 6 Aknowledgements

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